## Reconciling Eventually-Consistent Data with CRDTs

## Staring Noel Welsh

## a my y 0 Production

In Conjunction With _. Underscore

Showing at
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## CRITs

## [AN OVERVIEW]

## merge DATA

AUTOMATICALLY

## Handle your eventuallyconsistent data store

## Simplify distributed systems

Easy data synchronisation

## \#1

## What problem we are solving

## \#2

## How CRDDTs work

## \#3

## Issues in practice



## WE FEEL THE NEED FOR...

## sub-Second PAGE LOADS

# WE HAVE SEEN THE 

ENEMY



World map from Wikimedia Commons

## LOCATION LOCATION LOCATION


http://turnkeylinux.github.io/aws-datacenters/

## PROBLEM SOLVED.

## PROBLEM

## SOLVED?

## HOW DO WE SORT OUT THIS MESS!

## WE HAVE

## AVAILABILLTY CAN WE REGAIN

 CONSSTENCY?
## Conflict-free Replicated Data Type

## Conflict-free Replicated Data Type

## Conflict-free

## Replicated Jata

Type

## Conflict-free Replicated Data Type

# Conflict-free Convergent Commutative 

## G-Counter

## A COUNTER THAT CAN ONLI

 GROW
## NAIVE APPROACH



## Machine B

## SOME TIME LATER...

## NAIVE APPROACH



Machine B


## What value should THE COUNTER TAKE?

## G-Counter insight: Store a separate counter for each machine

## G-COUNTER APPROACH



Machine B
A: 0 B: 0

# A MACHINE CAN ONL INCREMENT ITS OWN COUNTER 

## G-COUNTER APPROACH



Machine B
A: 0 B: 6

## MERGE IS SIMPLY THE MAX

## G-COUNTER APPROACH



Machine B
A: 4 B: 6

## THE COUNTER'S VALUE IS SIMPLY THE

## TOTAL

## G-COUNTER APPROACH



We have a distributed eventually-consistent increment-only counter.
PN-Counter

## A COUNTER THAT CAN GROW and SHRINK

## Can't use a G-Counter as we can't use max to <br> merge

## USE

## TWO G-COUNTERS!

## PN-COUNTER

## Machine A

Additions
$\mathrm{A}: 4, \mathrm{~B}: 2$
Subtractions
A: 5, B: 3

Machine B
Additions
A: $4, B: 7$
Subtractions
$\mathrm{A}: 3, \mathrm{~B}: 4$

## MERGE IS SIMPLY THE MAX

## PN-COUNTER

## Machine A

Additions
A: $4, \mathrm{~B}: 7$
Subtractions
$\mathrm{A}: 5, \mathrm{~B}: 4$

Machine B
Additions
A: $4, B: 7$
Subtractions
$\mathrm{A}: 5, \mathrm{~B}: 4$

## THE COUNTER'S VALUE IS SIMPLY THE

## TOTAL

## PN-COUNTER

## Machine A

Additions
A: 4,

## B

$$
(4+7)-(5+4) \div 4, B: /
$$

Subtractions
A: 5, B: 4

Subtractions
$\mathrm{A}: 5, \mathrm{~B}: 4$

## A GENERAL RECIPE FOR MERGES

## MERGE MUST BE Invariant To ORDER

## MERGE MUST CONVERGE TO CORRECT VALUE

## FORMALLY:

## IDEMPOTENT <br> 

## FORMALLY:

## ASSOCIATIVE

$$
(x \bullet y) \bullet z=x \bullet(y \bullet z)
$$

## FORMALLY:

## COMMUTATIVE

$$
x \bigcirc y=y \circ x
$$

## AN IDEMPOTENT

 COMMUTATIVE MONOID

## NUMBERS and MAX

## SETS and UNION

# PN-Counter also requires addition and subtraction 

 Set Union $\mathbb{E}$ Difference

## 2P-Set

Machine A
Additions

$$
A:\{x\}, B:\{y\}
$$

Subtractions

$$
A:\{x\}, B:\{ \}
$$

Machine B
Additions

$$
A:\{x\}, B:\{y, z\}
$$

Subtractions
A: $\}, B:\{y\}$

## 2P-Set Merge

Machine A
Additions
$A:\{x\}, B:\{y, z\}$

Subtractions
$A:\{x\}, B:\{y\}$

Machine B
Additions

$$
A:\{x\}, B:\{y, z\}
$$

Subtractions
A: $\{x\}, B:\{y\}$

## 2P-Set Total



# Deleted elements stored 

 indefinitely. Called tombstones
## $2 P-S e t$ allows elements to be added and removed

once

## C-Set

## Store element and count

## C-Set

Machine A
Additions

$$
\begin{aligned}
& A:\{(x, 2)\}, \\
& B:\{(y, I)\}
\end{aligned}
$$

Subtractions

$$
\begin{gathered}
\mathrm{A}:\{(\mathrm{x}, \mathrm{I})\}, \\
\mathrm{B}:\{ \}\}
\end{gathered}
$$

Machine B
Additions

$$
\begin{gathered}
\text { A: }\{(\mathrm{x}, \mathrm{I})\}, \\
\mathrm{B}:\{(\mathrm{y}, \mathrm{I}),(\mathrm{z}, 2)\}
\end{gathered}
$$

Subtractions

$$
\begin{gathered}
A:\{ \}, \\
B:\{(y, I)\}
\end{gathered}
$$

## C-Set Merge

Machine A
Additions

$$
\begin{gathered}
\text { A: }\{(\mathrm{x}, 2)\}, \\
\mathrm{B}:\{(\mathrm{y}, \mathrm{I}),(\mathrm{z}, 2)\}
\end{gathered}
$$

Subtractions
A: $\{(\mathrm{x}, \mathrm{I})\}$,
B: $\{(\mathrm{y}, \mathrm{l})\}$

Machine B
Additions

$$
\begin{gathered}
\text { A: }\{(\mathrm{x}, 2)\}, \\
\mathrm{B}:\{(\mathrm{y}, \mathrm{I}),(\mathrm{z}, 2)\}
\end{gathered}
$$

Subtractions

$$
\begin{aligned}
& \text { A: }\{(\mathrm{x}, \mathrm{I})\}, \\
& \mathrm{B}:\{(\mathrm{y}, \mathrm{I})\}
\end{aligned}
$$

## C-Set Total

Machine A
Additions

$$
\begin{aligned}
& \text { A: }\{(\mathrm{x}, 2)\}, \mathbf{S e t} \text { is } \mathrm{A}:\{(\mathrm{x}, 2)\} \text {, } \\
& \text { B: }\{(y, l),(z, 2)\} \text { ( } \mathbf{S}_{\mathrm{B}}:\{(\mathrm{y}, \mathrm{l}),(\mathrm{z}, 2)\} \\
& \text { Subtractions }\{X, Z\} \text { ybtractions } \\
& \text { A: }\{(x, I)\} \text {, } \\
& \mathrm{B}:\{(\mathrm{y}, \mathrm{i})\} \\
& \text { A: }\{(\mathrm{x}, \mathrm{I})\} \text {, } \\
& \text { B: }\{(\mathrm{y}, \mathrm{l})\}
\end{aligned}
$$

## C-Set allows elements to be added and removed

 many times
# C-Set allows elements to 

 be removed morefimes than they have been added

## 0R-Set

## Store element and unique token

## OR-Set

Machine A
Additions
A: $\{(x, \# a),(x, \# d)\}$,
B: $\{(\mathrm{y}, \# \mathrm{~b})\}$
Subtractions A: $\{(x, \# a)\}$,

B: $\}$

Machine B
Additions

$$
\begin{gathered}
\mathrm{A}:\{(\mathrm{x}, \# \mathrm{a})\}, \\
\mathrm{B}:\{(\mathrm{y}, \# \mathrm{~b}),(\mathrm{z}, \# \mathrm{c})\}
\end{gathered}
$$

Subtractions

$$
\begin{gathered}
\mathrm{A}:\{ \}, \\
\mathrm{B}:\{(\mathrm{y}, \mathrm{\# b})\}
\end{gathered}
$$

## OR-Set Merge

Machine A
Additions
A: $\{(\mathrm{x}, \# \mathrm{a}),(\mathrm{x}, \# \mathrm{~d})\}$,
B: $\{(\mathrm{y}, \# \mathrm{~b}),(\mathrm{z}, \# \mathrm{c})\}$
Subtractions
A: $\{(x, \# a)\}$,
B: $\{(\mathrm{y}, \# \mathrm{~b})\}$

Machine B
Additions
A: $\{(\mathrm{x}, \# \mathrm{a}),(\mathrm{x}, \# \mathrm{~d})\}$,
B: $\{(\mathrm{y}, \# \mathrm{~b}),(\mathrm{z}, \# \mathrm{c})\}$
Subtractions
A: $\{(x, \# \mathrm{a})\}$,
B: $\{(y, \# b)\}$

## OR-Set Total

Machine A
Additions
A: $\{(x, \# a),(x, \#)$
$B:\{(y, \# b),(z, \# c)\}$
Subtractions $\{X, Z$ yubtractions
$A:\{(x, \# a)\}$,
$B:\{(y, \# b)\}$

Machine B
Additions

- $\{(x, \# a),(x, \# d)\}$,
b. $\{(\mathrm{y}, \# \mathrm{~b}),(\mathrm{z}, \# \mathrm{c})\}$

A: $\{(\mathrm{x}, \# \mathrm{a})\}$,
B: $\{(\mathrm{y}, \# \mathrm{~b})\}$

## OR-Set works the way we expect

# From sets, build trees, 

## graphs, etc.

## CRDTS vs

## THE REAL WORLD

## Strong Consistency Memory Usage Code

## STRONG

## CONSSTENCY

## Don't build your billing platform on CRDTs

## MEMORY USAGE Tombstones Machine IDs

## Tombstones: Establish

## causal order and

 delete[Bieniusa et al. 2012]

## Tombstones: Prune with

 heuristics [often based on time]
# Machine IDs: OR-Sets 

## don't need them

# Machine IIs: Flierarchical 

 organisation allows pruning
## [Almeida \& Baquero. 2013]

## CODE

 Riak 2.0
## Various open source libraries


http://stiost.deviantart.com/art/Stomping-Off-Into-the-Sunset-277086274

## MORE:

## noelwelsh.com

